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Total No. of Questions: 09

B.Tech. (CE)/(ECE)/(EE)/(Electrical & Electronics)/ B.Tech. (Electronics & Computer Engg.)/ B.Tech. (Electronics & Electrical)/(ETE) (2011 Onwards) / B.Tech. (Electronics Engg.) (2012 Onwards) / (Som. – 3)

(Electronics Engg.) (2012 Onwards) (Sem. – 3)

ENGINEERING MATHEMATICS - III

M Code: 56071 Subject Code: BTAM-301 Paper ID: [A1128]

Time: 3 Hrs. Max. Marks: 60

INSTRUCTIONS TO CANDIDATES:

- 1. SECTION-A is COMPULSORY consisting of TEN questions carrying TWO marks each.
- 2. SECTION-B contains FIVE questions carrying FIVE marks each and students have to attempt any FOUR questions.
- 3. SECTION-C contains THREE questions carrying TEN marks each and students have to attempt any TWO questions.

SECTION A

- 1. a) Evaluate, $\int \frac{z^3}{z+i} dz$ along the circle, |z|=2.
 - b) Under what condition or conditions the general linear partial differential equation of second order is elliptic.
 - c) Define the term "an indicial equation".
 - d) Find , L [$(t e^{-t} \sin 4t)$].
 - e) Form a partial differential equation from z = f(x + y-z, xyz).
 - f) Expand $\sin z$ in Taylor's series about the point z = 0.
 - g) Find the sum of the residues at each pole of the function f(z), lying inside the circle |z| = 3where $f(z) = \tan z$

where
$$f(z) = \frac{\tan z}{z}$$
.

- h) If it is required to find the Fourier series of an odd function in $(-\pi, \pi)$ then which formulae you will use?
- i) What are Dirichlet's conditions for the expansion of f(x) as a Fourier series in $(-\pi, \pi)$?
- j) State the change of scale property of Laplace transforms.

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SECTION B

- 2. Solve the partial differential equation, $(D^3 4D^2D' + 4DD')z = 6 \sin(3x + 2y)$.
- 3. State and prove the Cauchy's integral formula.
- 4. Using Laplace transforms, solve the differential equation,

$$\frac{d^2x}{dt^2} + 9x = \cos 2t$$
 where $x(0) = 1, x\left(\frac{\pi}{2}\right) = -1$.

- 5. Find the Fourier series to represent, $f(x) = \frac{1}{4}(\pi x)^2$, where $0 \le x \le 2\pi$
- 6. Find the inverse Laplace transform of the function, $\cot^{-1}\left(\frac{s}{a}\right)$.

SECTION C

- 7. Use the concept of residues to evaluate, $\int_0^{2\pi} \frac{dx}{5 4\sin x}$
- 8. A string is stretched and fastened to two points l apart. Motion is started by displacing the string in the form $y = a \sin \frac{\pi x}{l}$ from which it is released at time t = 0.

Show that the displacement of any point at a distance x from one end at time t is given by $y(x,t) = a \sin \frac{\pi x}{l} \cos \frac{\pi ct}{l}.$

9. Solve in series, $x \frac{d^2 y}{dx^2} + (1+x) \frac{dy}{dx} + 2y = 0$.

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