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Roll No. Total No. of Pages: 02

Total No. of Questions: 09

B.Tech.(CE)/(ECE)/(EE)/(Electrical & Electronics)/
(Electronics & Computer Engg.)/(Electronics & Electrical)/(ETE)
(2011 Onwards)

B.Tech.(Electrical Engg. & Industrial Control) (2012 Onwards)
B.Tech.(Electronics Engg.) (2012 Onwards)
(Sem.-3)

ENGINEERING MATHEMATICS - III

Subject Code: BTAM-301 Paper ID: [A1128]

Time: 3 Hrs. Max. Marks: 60

INSTRUCTIONS TO CANDIDATES:

- 1. SECTION-A is COMPULSORY consisting of TEN questions carrying TWO marks each.
- 2. SECTION-B contains FIVE questions carrying FIVE marks each and students have to attempt any FOUR questions.
- 3. SECTION-C contains THREE questions carrying TEN marks each and students have to attempt any TWO questions.

SECTION-A

1. Write briefly:

- a) Write half range sine series of the function f(x) = x, in 0 < x < 2.
- b) Find Laplace transform of the function $t^2 \cos 2t$.
- c) Define analytic function. Give an example of the same...
- d) Find the general integral of the equation from $\frac{\partial^2 z}{\partial x^2} 7 \frac{\partial^2 z}{\partial x \partial y} + 12 \frac{\partial^2 z}{\partial y^2} = 0$
- e) Form a differential equation from z = (x + a)(y + b).
- f) Find the value of $\int_{-1}^{1} x^3 P_3(x) dx$, where $P_3(x)$ is a Legendre's polynomial of degree 3.
- g) An infinitely long metal plate of width 1 with insulated surfaces has its temperature zero along both the long edges y = 0 and y = 1 at infinity. If the edge x = 0 is kept at fixed temperature T_0 and if it is required to find the temperature T at any point (x, y) of the plate in the steady state, then state the boundary conditions for the same.
- h) State Cauchy's Theorem.

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i) Find
$$L^{-1}\left(\frac{1}{\sqrt{s+3}}\right)$$
.

j) State any one property of "conformal mapping".

SECTION-B

- 2. Expand the function $f(x) = x^2$ as a fourier series in the interval $-\pi \le x \le \pi$. Hence show that $\frac{1}{1^2} + \frac{1}{2^2} + \frac{1}{3^2} + \frac{1}{4^2} + \dots = \frac{\pi^2}{6}$.
- 3. Solve $y'' + 2y' 3y = \sin t$, where y(0) = 0 and y'(0) = 0, using Laplace Transforms.
- 4. Find the Laurent's expansion of, $\frac{1}{(z+1)(z+3)}$ valid for
 - i) 1 < |z| < 3,
 - ii) |z| > 3,
 - iii) 0 < |z + 1| < 2.
- 5. Solve the partial differential equation (y + z) p (x + z) q = (x y).
- 6. With usual notations, prove that, $\frac{2n}{x}J_n(x) = J_{n-1}(x) + J_{n+1}(x)$.

SECTION-C

- 7. A tightly stretched string of length l with fixed ends is initially in equilibrium position. It is set vibrating by giving each point a velocity $v_0 \sin^3 \frac{\pi x}{l}$. Find the displacement y(x, t).
- 8. Evaluate $\int_C \frac{z-3}{z^2+2z+5} dz$, where C is the circle
 - i) |z| = 1,
 - ii) |z+1-i|=2,
 - iii) |z + 1 + i| = 2.
- 9. Solve in series the differential equation $(1+x^2)\frac{d^2y}{dx^2} + x\frac{dy}{dx} y = 0$.